

# Perceptual learning alters post-sensory processing in human decision-making

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**An emerging view in perceptual learning is that improvements in perceptual sensitivity are not only due to enhancements in early sensory representations but also due to changes in post-sensory decision-processing. In humans, however, direct neurobiological evidence of the latter remains scarce. Here, we trained participants on a visual categorization task over three days and used multivariate pattern analysis of the electroencephalogram to identify two temporally specific components encoding sensory ('Early') and decision ('Late') evidence, respectively. Importantly, the single-trial amplitudes of the Late, but not the Early component, were amplified in the course of training, and these enhancements predicted the behavioural improvements on the task. Correspondingly, we modelled these improvements with a reinforcement learning mechanism, using a reward prediction error signal to strengthen the readout of sensory evidence used for the decision. We validated this mechanism through a robust association between the model's decision variables and the amplitudes of our Late component that encode decision evidence.**

Consider an image intelligence analyst inspecting a large array of noisy closed-circuit television or satellite images in order to identify targets that might pose a real security threat. Her ability to perform this task successfully depends on her years of experience in interpreting such images. This example highlights that training and experience are required to induce long-lasting improvements in our ability to make decisions based on ambiguous sensory information. The process leading to such improvements is commonly referred to as perceptual learning<sup>1,2</sup>. Despite the prevalence and obvious utility of this phenomenon in everyday life (learning in an ever-changing environment to make better predictions and plan future actions), its neural substrates and how these affect decision-making remain elusive.

Several psychophysical studies have offered evidence linking perceptual learning with enhancements in early sensory representations<sup>3–9</sup> and with changes in post-sensory processing relating to attention and decision-making<sup>10–12</sup>. In line with the latter account (that is, late influences), recent experimental work in non-human primates<sup>13,14</sup> has offered compelling evidence that perceptual learning in decision-making can affect how early sensory representations are interpreted downstream by higher-level areas to form a decision.

Correspondingly, recent functional magnetic resonance imaging (fMRI) experiments in humans started to address the question of whether perceptual learning affects later processing stages<sup>15–18</sup>. So far, however, little has been done to make use of time-resolved electrophysiological signatures that can accurately differentiate between early stimulus encoding and late decision-related processing. Here, we test the extent to which perceptual learning alters post-sensory encoding of decision evidence in humans by recording electroencephalography (EEG) data during a perceptual discrimination experiment (distinguishing whether a noisy image represents a face or car; Fig. 1a) over the course of three days.

Previously, using this task and single-trial multivariate discriminant analysis of the EEG, we identified two temporally distinct neuronal components that discriminated between the stimulus categories: an 'Early' component that occurred around 170 ms after stimulus presentation and a 'Late' component that occurred around 300 ms post-stimulus<sup>19–23</sup>. We showed that the Late component

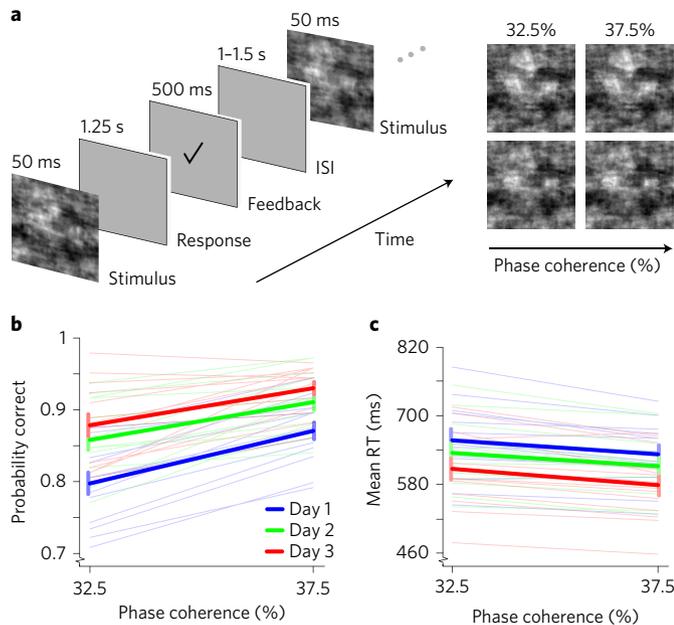
was a better predictor of behaviour than the Early one<sup>20</sup>; it systematically shifted later in time with perceived task difficulty<sup>19</sup> and was a significantly better predictor of trial-by-trial changes in the rate of evidence accumulation (drift rate) in a drift diffusion model<sup>19,23</sup>. Finally, whereas the Early component amplitudes remained unaffected when the same (face/car) stimuli were coloured red or green and the task was switched to colour discrimination, those of the Late component were reduced almost to zero<sup>19,22,23</sup>. Taken together, these findings indicated that the Early component encodes the incoming sensory evidence, whereas the Late component indexes post-sensory, decision-relevant evidence. These previous findings establish a benchmark against which to evaluate the extent to which perceptual learning influences earlier versus later stages of decision-making.

Specifically, here we test how activity associated with each of these Early and Late EEG components is affected by training. We hypothesize that if perceptual learning primarily alters post-sensory encoding of decision evidence, discrimination performance for our Late but not the Early component should systematically increase across the three training sessions. Similarly, as perceptual sensitivity improves with training, we expect the Late component to move earlier in time, reflecting a decrease in perceived task difficulty. Moreover, our ability to make use of single-trial variability in the EEG will offer a mechanistic characterization of these effects by establishing whether improvements in discrimination are a result of gain modulation (that is, amplification of the differential response) of the component amplitudes, a reduction in the trial-to-trial variability (noise) of the component amplitudes or both.

Finally, we explore the possibility that these improvements can be understood in terms of a reinforcement learning mechanism<sup>14,17,24–26</sup>, whereby the connections between early and late decision-processing stages are strengthened through a reward prediction error, gradually enhancing the readout of relevant information and leading to improved perceptual sensitivity.

## Results

We collected behavioural and EEG data from 14 participants during a speeded categorization task (identifying an image as either a face



**Figure 1 | Experimental design and behaviour.** **a**, Schematic representation of the experimental paradigm. Subjects had to categorize a noisy image presented for 50 ms as a face or a car and indicate their choice with a button press within 1,250 ms following the stimulus presentation. Feedback was then presented for 500 ms (a tick or a cross, for a correct or an incorrect response, respectively) followed by an inter-stimulus interval (ISI) that varied randomly between 1 and 1.5 s. Subjects performed this task on three consecutive training days. A sample face image (upper row) and car image (lower row) at the two levels of phase coherence used in the task (32.5% and 37.5%) are shown on the right. **b,c**, The proportion of correct choices (**b**) and mean reaction times (RTs) (**c**) as a function of the three training days (day 1: blue; 2: green; 3: red) and the two levels of phase coherence of the stimuli, averaged across subjects. Faint lines represent individual subject data. Error bars represent standard errors across subjects.

or car) using noisy stimuli that varied in the amount of available sensory evidence (that is, phase coherence of the stimuli). Visual feedback was provided for each response before the presentation of the next stimulus (Fig. 1a). Participants performed the same task on three consecutive days. Using a mixed-effects logistic regression analysis, we found that accuracy was significantly improved ( $\chi^2(1) = 19.37$ ,  $P < 0.001$ , Fig. 1b; degrees of freedom (1)) over the three training days. Using a mixed-effects linear regression analysis, we found that reaction times were significantly reduced over the three training days ( $\chi^2(1) = 8.92$ ,  $P < 0.003$ , Fig. 1c). As expected, we also found a main effect of stimulus difficulty, with accuracy increasing ( $\chi^2(1) = 28.08$ ,  $P < 0.001$ ) and reaction times decreasing ( $\chi^2(1) = 21.24$ ,  $P < 0.001$ ) with the amount of sensory evidence, respectively. There was no interaction between the amount of sensory evidence and training day on either measure (accuracy:  $\chi^2(1) = 0.16$ ,  $P = 0.68$ ; reaction times:  $\chi^2(1) = 0.383$ ,  $P = 0.54$ ).

Next, we sought to identify the Early (sensory) and Late (decision-related) EEG components that discriminate between face and car trials, and to investigate how these are affected by training. To this end, we used a single-trial multivariate discriminant analysis<sup>27,28</sup> to identify linear spatial weightings of the EEG sensors that best discriminated between the two trial types. For each participant, we estimated, within short pre-defined time windows of interest, a projection in the multidimensional EEG space (that is, a spatial filter) that maximally discriminated between the two categories on stimulus-locked data (equation (1); see Methods). Applying this spatial

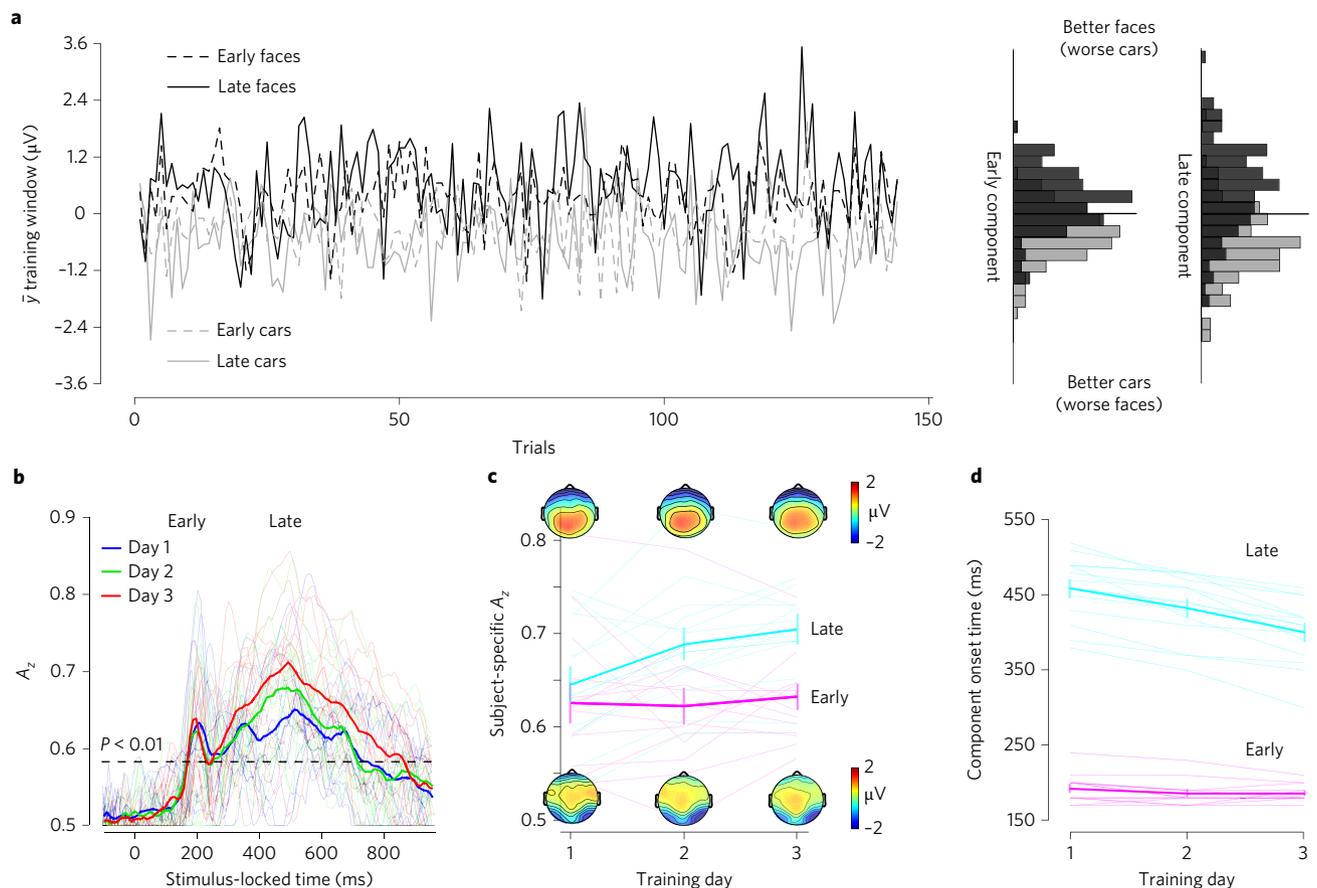
filter to single-trial data produced a measurement of the resultant discriminating component amplitude (henceforth  $y$ ). Component amplitudes can be thought of as indexing the quality of the evidence in each trial, in that a high positive amplitude reflects an easy face trial, an amplitude near zero reflects a difficult trial, and a high negative amplitude reflects an easy car trial (Fig. 2a). We used the area under a receiver operating characteristic curve (the  $A_z$  value) with a leave-one-out trial cross-validation procedure to quantify the discriminator's performance (that is, the degree of separation in the single-trial amplitude distributions associated with each stimulus category).

Our discriminator's performance as a function of stimulus-locked time revealed the presence of two temporally specific components (Fig. 2b; Early: mean peak time 187 ms; Late: mean peak time 431 ms), consistent with our previous work<sup>19–23</sup>. Most importantly, even though both the Early and Late components reliably discriminated between image categories, only the discrimination performance for our Late component appeared to increase systematically across the three training days. To formally test for this effect we extracted subject-specific peak  $A_z$ -values for each of the Early and Late components and ran a mixed-effects linear regression analysis with training day, component (Early versus Late) and their interaction as separate predictors. We found a significant main effect of training day ( $\chi^2(1) = 7.61$ ,  $P = 0.006$ ), a main effect of component ( $\chi^2(1) = 5.0371$ ,  $P = 0.025$ ) and a significant interaction between the two ( $\chi^2(1) = 7.46$ ,  $P = 0.006$ ), indicating that discriminator performance for the Late component increased systematically across training days, whereas that of the Early component remained unchanged (Fig. 2c). Taken together, these results provide compelling evidence that it is primarily the encoding of the decision evidence in the Late component, rather than the sensory evidence in the Early component, that is being enhanced in the course of training.

In previous work<sup>20</sup>, we showed that, unlike the Early component, the peak time of the Late component moved later in time as perceived task difficulty increased, consistent with longer integration times for more difficult decisions<sup>29–31</sup>. Here, we use this finding to provide additional evidence linking the Late component with the process of learning. Specifically, we hypothesized that the latency of the Late component should move earlier in time as learning unfolds (and choices become easier). Using a separate mixed-effects linear regression analysis, we found a significant main effect of training day ( $\chi^2(1) = 21.56$ ,  $P < 0.001$ ), a main effect of component ( $\chi^2(1) = 51.3$ ,  $P < 0.001$ ) and a significant interaction of the two ( $\chi^2(1) = 51.75$ ,  $P < 0.001$ ) on component peak times, indicating that the Late component peak times were reduced systematically across training days, whereas those of the Early component remained unchanged (Fig. 2d). These findings reinforce the notion that it is the temporal dynamics of the Late decision-related component that change as a function of training.

To better understand the mechanism by which improvements in discrimination performance for the Late component came about, we capitalized on the single-trial variability in the component amplitudes. Specifically, we tested whether there was an increase in the distance between the mean face and car component amplitudes in the Late component ( $\bar{y}_f - \bar{y}_c$ ; Fig. 3a, top), a reduction in the trial-by-trial variability around those means ( $(\sigma_{y_c, f})$ ; Fig. 3a, bottom) or a combination of both. We ran a mixed-effects linear regression analysis, with the amount of sensory evidence, training days and their interaction as separate predictors.

As expected from previous findings<sup>20,22,23</sup> we found a main effect of the amount of sensory evidence on the means ( $\chi^2(1) = 11.52$ ,  $P < 0.001$ , Fig. 3b) but not on the variance of these component amplitudes ( $\chi^2(1) = 0.38$ ,  $P = 0.53$ , Fig. 3c). Crucial to this work, we also found a main effect of training day on the mean responses ( $\chi^2(1) = 6.72$ ,  $P = 0.009$ , Fig. 3b), but not on the variance of these component amplitudes ( $\chi^2(1) = 2.76$ ,  $P = 0.1$ , Fig. 3c). No significant



**Figure 2 | Post-sensory effects of perceptual learning.** **a**, Single-trial discriminator amplitudes ( $y$ ) for the Early (dashed lines) and Late (solid lines) component windows for faces (black) and cars (grey) at 37.5% phase coherence from a representative subject on the third training day. The component amplitudes are shown as histograms on the right, with a cutoff (the thick black line) to separate trials into positive versus negative amplitudes, indicating a higher likelihood of a face and a car trial, respectively. **b**, Multivariate discriminator performance ( $A_z$ ), quantified by a leave-one-out (LOO) trial cross-validation procedure, during face-versus-car outcome discrimination of stimulus-locked EEG responses across the three training days (1: blue; 2: green; 3: red), averaged across subjects, showing the presence of the Early and Late components. The dotted line represents the average  $A_z$  value leading to a significance level of  $P < 0.01$ , estimated by using a bootstrap test. Faint lines represent individual subject data. **c**, Average discriminator performance and scalp topographies for the Early (magenta) and Late (cyan) components across the three training days estimated at the time of subject-specific maximum discrimination. Faint lines represent individual subject data. Error bars represent standard errors across subjects. **d**, Average onset times for the Early (magenta) and Late (cyan) components across the three training days. Faint lines represent individual subject data. Error bars represent standard errors across subjects.

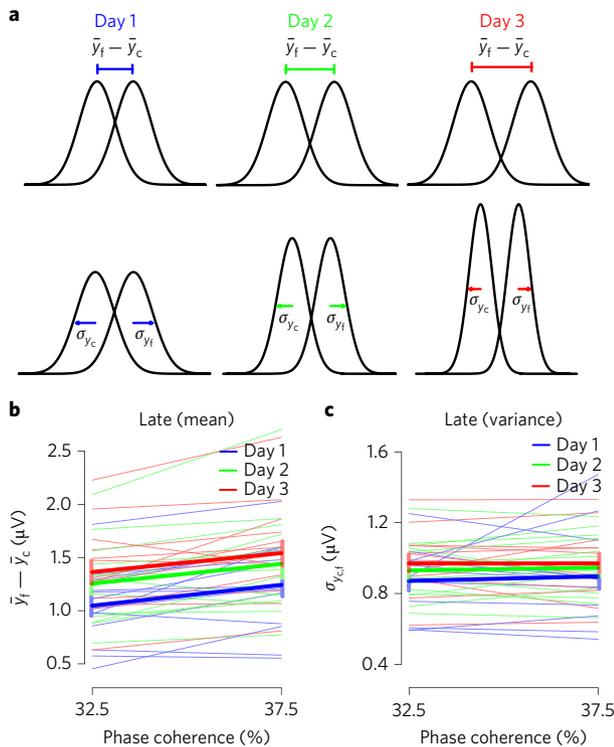
interaction effects of sensory evidence and training day were observed ( $\chi^2(1) = 0.03$ ,  $P = 0.86$  and  $\chi^2(1) = 0.25$ ,  $P = 0.61$ , means and variance respectively). These results suggest that the improvements in discrimination performance for the Late component over the course of training are primarily the result of gain modulation (that is, enhanced sensory readout leading to amplification of the differential response) of the component amplitudes rather than a reduction in the trial-to-trial variability in these amplitudes.

To establish a concrete link between our EEG component amplitudes and improvements in behaviour we ran a separate logistic regression analysis whereby trial-by-trial changes in the amplitudes ( $y$ ) of the Early and Late components over all training days were used to predict participants' choices on individual trials (that is, probability of face choice, coded as 1 (0) for face (car) choices, respectively). Using the resulting subject-specific regression coefficients, we found that our Late component was both a reliable predictor of participants' choices ( $t$ -test,  $t(13) = 11.52$ ,  $P < 0.001$ ) and a significantly better predictor compared to the Early component (paired  $t$ -test,  $t(13) = 2.949$ ,  $P = 0.011$ ).

Although the novelty of our work rests primarily on the EEG results, we also tested the view that the observed perceptual

improvements in behaviour might involve a reinforcement-learning-like mechanism similar to that proposed for reward-based learning<sup>14,17,26,32</sup>. To this end, we modelled our participants' choices using a reinforcement learning model (see Methods). In brief, the model makes choices based on a decision variable, with positive values indicating a higher likelihood of a face choice and negative values indicating a higher likelihood of a car choice. The decision variable reflects the representational strength of the presented stimulus on a given trial and corresponds to the stimulus sensory evidence scaled by the absolute difference between its signal weight and a noise weight for the antagonistic stimulus. Whereas the role of the former is to enhance the sensory readout of the presented stimulus, the latter captures the extent to which the antagonistic stimulus interferes with the processing of the available sensory evidence.

In the reinforcement learning framework used here, these weights are updated by means of a prediction error signal, which quantifies the discrepancy between the expected and actual value of the decision outcome on each trial. To account for the possibility that signal and noise weights may be differentially updated the prediction error signal is scaled by separate learning rates in each of the two weight updates. The mechanism of this update is such that



**Figure 3 | Enhanced readout of post-sensory decision evidence.**

**a.** A schematic illustration of possible effects on the distribution of single-trial discriminator amplitudes in the course of learning. Top: increases in the distance between the mean response for faces and cars. Bottom: reduction in the variance of the face and car responses. Both examples lead to a smaller overlap (more separation) between the face and car distributions. **b.** Changes in the mean distance between the face and car distributions for the Late component across the three training days (1: blue, 2: green, 3: red). **c.** Changes in the variance of the face and car distributions for the Late component across the three training days. The faint lines in **b** and **c** represent individual subject data, while the error bars represent standard errors across subjects.

on a given trial a correct choice will always lead to an increase of the chosen stimulus signal weight and to a decrease of the unchosen stimulus noise weight, yielding enhanced signal to noise ratio for the correctly chosen stimulus. Crucially this update is also scaled by the chosen stimulus representation, which exerts a further consolidating effect on perceptual learning (see Methods).

We fitted the model to individual participant data and found a highly significant correspondence between the model's accuracy predictions and actual behaviour ( $r=0.882$ ,  $P<0.001$ ; Fig. 4a). We also compared the model with two competing alternatives (a model with signal and noise weights updated with only one learning rate and a model with only a single perceptual weight) using Bayesian model selection that accounts for inter-subject variability by treating each model as a random effect. We found that our model provided a better fit to the observed choice behaviour (see Methods and the histogram in Fig. 4a). Consistent with an enhanced readout of sensory evidence, we observed a subject-wise gradual build-up in the trial-by-trial estimates of the decision variables (Fig. 4b). Correspondingly, we observed a gradual increase in the model's signal weights mirrored by a gradual decrease in the noise weight estimates (Fig. 4c). Between-day comparisons (1 versus 2, and 2 versus 3) of subject-wise mean decision variables (Fig. 4d; paired  $t$ -test:  $t_{1vs2}$  (13) = -6.77,  $P<0.001$ ;  $t_{2vs3}$  (13) = -2.36,  $P=0.02$ ) and aggregate perceptual weights (Fig. 4e; signal weights: paired  $t$ -test:  $t_{1vs2}$  (13) = -6.74,  $P<0.001$ ;  $t_{2vs3}$  (13) = -2.36,  $P=0.02$ ; noise weights:

paired  $t$ -test:  $t_{1vs2}$  (13) = 6.74,  $P<0.001$ ;  $t_{2vs3}$  (13) = 2.35,  $P=0.02$ ) revealed a significant effect of learning as observed in behaviour.

To offer neurobiological validity to the model, we performed two additional analyses. First, we correlated the single-trial decision variables estimated by the model with our EEG component amplitudes. We predicted that if the brain computes a version of our model-based decision variables to drive choices then one should observe a systematic amplification of the decision variable with training and a significant correlation with our Late EEG component shown to index decision evidence. To this end, we ran another regression analysis whereby the single-trial amplitudes of our Early and Late components were used to predict the model's decision variables. We found that our Late component was both a reliable predictor of the model's decision variables (Fig. 4f;  $t$ -test,  $t(13) = 21.81$ ,  $P<0.001$ ) and a significantly better predictor than the Early component (Fig. 4f; paired  $t$ -test,  $t(13) = 3.06$ ,  $P=0.009$ ).

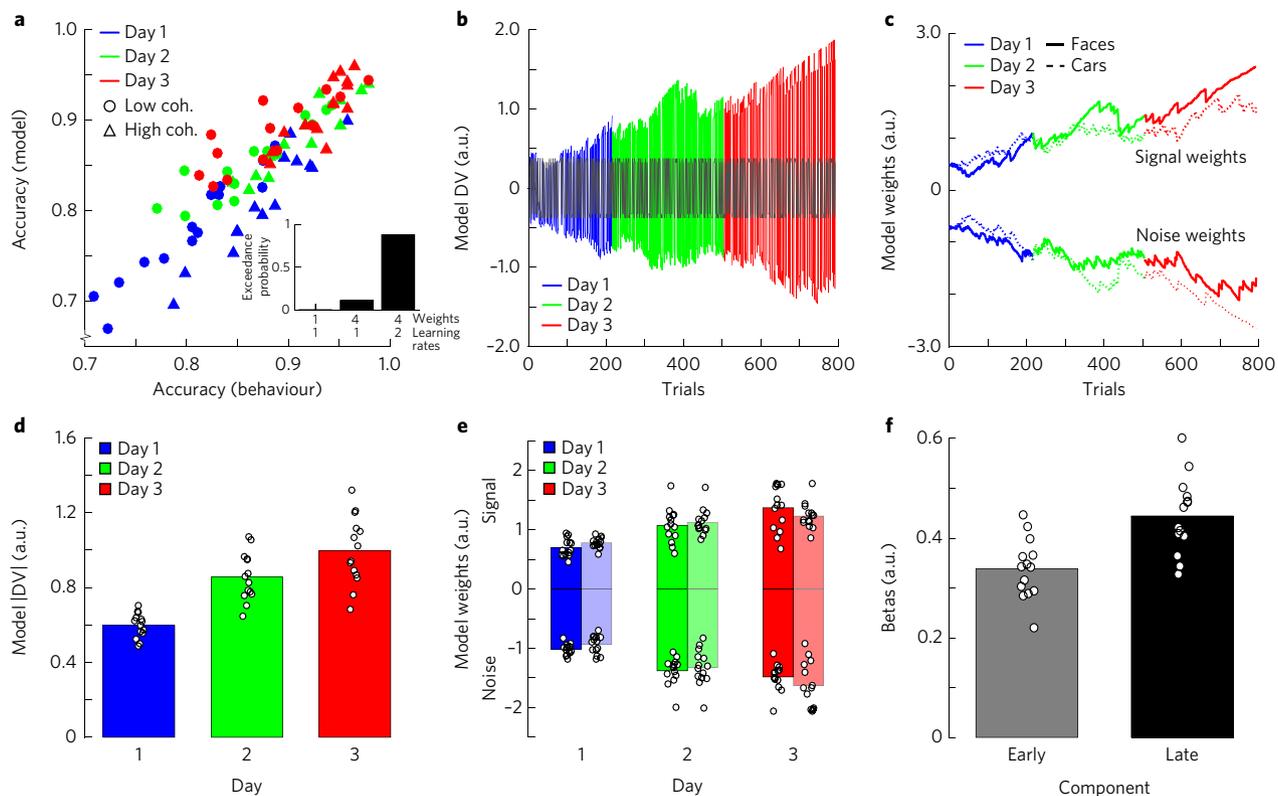
Second, we separated our trials into four bins (quartiles) based on the model-predicted magnitudes of the prediction error (PE) signal, which is thought to guide learning. We then ran a single-trial discriminant analysis on feedback-locked EEG data between the very low and very high PE trial groups (that is, we kept the middle two quartiles as 'test' data; see below). This analysis revealed a centroparietal EEG component peaking on average at 354 ms post-feedback (Fig. 5a). The timing and topography of this component are consistent with previous work on feedback-related processing in the human brain using a probabilistic reversal learning task<sup>33,34</sup>.

To test formally whether this EEG component was parametrically modulated by the magnitude of the PE signal, we computed discriminator amplitudes ( $y$ ) for trials with intermediate magnitude levels (those left out from the original discrimination analysis). Specifically, we applied the spatial filter of the window that resulted in the highest discrimination performance for the extreme PE magnitude levels to the EEG data with intermediate values. We expected these 'unseen' trials to show a parametric response profile such that the resulting mean component amplitude at the time of peak discrimination would proceed from very low < low < high < very high PE magnitude. Using this approach, we demonstrated that the mean discriminator output for each quartile increased as a function of the model's PE magnitude (all pair-wise  $t$ -test comparisons across adjacent trial groups:  $P$  values < 0.001; Fig. 5b), thereby establishing a concrete link between the model's PE estimates and our feedback-related EEG component. Taken together, these findings provide further evidence that perceptual learning enhances decision-related evidence, probably through a reinforcement-learning-like mechanism.

## Discussion

In this work, we have offered evidence from time-resolved electrophysiological signals in humans linking perceptual learning with post-sensory processing during a perceptual categorization task. Specifically, we showed that improvements in behavioural performance were accompanied primarily by late enhancements in decision-related evidence. In particular, we demonstrated that single-trial amplitudes of a late EEG component indexing decision evidence<sup>19,20,23,35</sup> were amplified in the course of learning, such that these representations became more robust to noise (rather than a reduction in noise as such). In contrast, a temporally earlier component encoding sensory (stimulus) evidence — even in the absence of a face/car decision task<sup>19</sup> — was not affected by training. These findings suggest that it is the strengthening of the connections between early sensory encoding and downstream decision-related processing that are driving perceptual learning in our task.

Crucially, we also showed that the onset of the late component (which on average coincides with the onset of decision evidence accumulation<sup>36–38</sup>) systematically moves earlier in time with training. This finding is particularly interesting since we have previously observed comparable temporal shifts in this component while manipulating



**Figure 4 | Reinforcement learning model for perceptual choices.** **a**, Scatter plot showing the correlation between the performance of individual subjects and models, over the three training days and the two levels of stimulus phase coherence (using the winning model). Inset: exceedance probabilities of three competing models (see Methods for details). coh., coherence. **b**, Individual trial estimates of the model's decision variable (DV) for a representative subject over the course of the three training days, superimposed on the amount of stimulus-defined sensory evidence (black trace). **c**, Signal (positive) and noise (negative) perceptual weights for faces (solid lines) and cars (dashed lines) over the three training days for the same subject shown in **b**. **d**, Average magnitude of the model's decision variables across subjects over the course of the three training days. Individual subject data are also shown as point estimates. **e**, Average signal (positive) and noise (negative) perceptual weights for faces (brightly coloured bars, left) and cars (faintly coloured bars, right) over the three training days. Individual subject data are also shown as point estimates. **f**, Average regression coefficients (betas) reflecting the trial-by-trial association between the model's decision variables and the amplitudes of the Early and Late EEG components estimated over all training days. Individual subject data are also shown as point estimates.

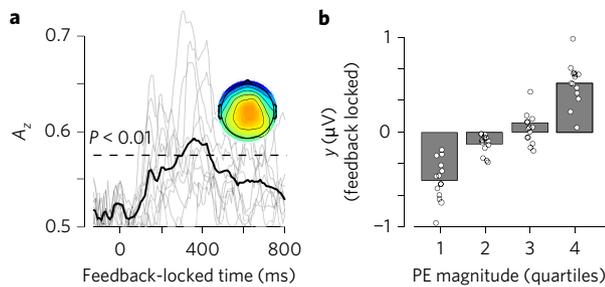
task or stimulus difficulty<sup>19,20,23</sup>. We view this as additional evidence that our learning effects on the late component lead to changes in perceptual sensitivity. More specifically, the earlier the onset time of the late component, the stronger the behavioural improvements, consistent with a decrease in perceived task difficulty. These temporal changes are also in line with a faster and more efficient accumulation of evidence as often predicted by sequential sampling models of decision-making<sup>29–31</sup> (for example, increases in the drift rate and decreases in the variability of the non-decision time parameters of these models).

Consistent with previous accounts<sup>14,17</sup>, we also showed that these learning-induced behavioural improvements could be reliably explained in terms of a reinforcement learning mechanism<sup>39</sup>. More specifically, we showed that a model that uses a prediction error signal<sup>24,25,40,41</sup> to continuously adjust the stimulus specific perceptual weights on the sensory evidence<sup>26</sup> led to amplification of the relevant stimulus representations in the course of training (making them more robust to noise). We further demonstrated that trial-by-trial changes in our Late EEG component, which was shown to index decision evidence, reliably tracked the amplification of sensory information predicted by the model. These results imply that perceptual learning involves an enhanced readout of sensory information during decision-making, probably through a process similar to reinforcement learning, endorsing the view of a domain-general learning mechanism<sup>24</sup>. Although it is true that our task did

not involve any explicit reward as a reinforcer, we view the implicit rewarding nature of correct responses as a 'teaching signal' for strengthening the neural representation of sensory contingencies<sup>26</sup>.

Research on perceptual learning has recently focused on the extent to which perceptual learning is due to improvements in sensory abilities that are (informationally and temporally) earlier than the decision process itself or due to improvements in post-sensory and decision-related processing. Consistent with the former account, several psychophysics studies have demonstrated that perceptual learning is often highly specific to the location and other properties of the stimuli<sup>3–9</sup>, implying specificity to the trained retinal location<sup>42,43</sup>. Similarly, fMRI human studies offered evidence of activity enhancements in retinotopic areas corresponding to the trained visual fields<sup>44</sup> and increased responses along the whole hierarchy of early visual areas that correlated with improvements in behavioural performance following training over the course of several weeks<sup>45,46</sup>. These results are further corroborated by EEG recordings in humans showing post-training improvements in early visually evoked components over occipital electrode sites<sup>47–49</sup> and electrophysiological recordings in non-human primates linking behavioural performance with improvements in perceptual sensitivity in primary sensory areas<sup>50–52</sup>.

In contrast, other psychophysical studies have proposed that perceptual learning can also arise from changes in how sensory signals are read out or interpreted by decision-making mechanisms<sup>32,53,54</sup>



**Figure 5 | Electrophysiological correlates of prediction error (PE).**

**a**, Multivariate discriminator performance ( $A_z$ ), quantified by a leave-one-out (LOO) trial cross-validation procedure, during very low versus very high PE magnitude trials on feedback-locked EEG responses averaged across subjects and days revealing a late PE component. Discriminator performance and component peak times were comparable across the three days. The dotted line represents the average  $A_z$  value leading to a significance level of  $P=0.01$ , estimated using a bootstrap test. Faint lines represent individual subject data. Inset: average scalp topography associated with the PE component, estimated at the time of subject-specific maximum discrimination. **b**, Mean discriminator amplitude ( $y$ ) for the PE component, binned in four quartiles based on model-based estimates of the magnitude of the PE, showing a clear parametric response along the four trial groups. Quartiles 1 and 4 were used to train the classifier, while quartiles 2 and 3 contain 'unseen' data with intermediate PE magnitude levels. Individual subject data are also shown as point estimates.

rather than from changes in primary sensory areas as such. Neural evidence in support of this interpretation comes from electrophysiology studies on non-human primates<sup>13,14</sup>, demonstrating that perceptual learning on a motion discrimination task affects downstream decision accumulator areas, rather than regions encoding the sensory evidence (that is, motion direction). Specifically, accumulator neurons improved responsiveness to the decision evidence in the course of learning (as reflected in steeper evidence accumulation slopes), with these improvements being proportional to the animals' performance on the task. Correspondingly, recent fMRI studies in humans started to explore the effect of learning on the activity and connectivity patterns of higher-level ventral temporal<sup>55,56</sup> and decision-related regions<sup>15–18</sup>.

These seemingly discrepant accounts of the temporal locus of perceptual learning may be reconciled by considering differences in the experimental demands of the task at hand. For example, a recent theoretical account proposed a unified two-stage model of perceptual learning<sup>57–59</sup>. According to this model, there are two distinct types of plasticity underlying perceptual learning: feature-based plasticity and task-based plasticity. On the one hand, feature-based plasticity affects early sensory processing stages and occurs with mere exposure to stimuli, regardless of whether the stimuli are relevant to the task. Task-based plasticity, on the other hand, can be thought of as a higher-level processing stage arising from direct and active involvement in a behavioural task. In this formulation, the relative contribution of the two plasticity types to the overall enhancement in performance hinges largely on the training procedures, the stimuli and the intricacies of the task used in learning<sup>60</sup>.

More specifically, a distinction could be drawn between tasks that involve learning of relatively primitive stimulus features such as orientation, spatial frequency or contrast and those using more complex stimuli such as objects and faces<sup>59</sup>. Although learning of highly primitive features could occur locally at the level of early sensory processing, more complex stimuli (made up of a combination of primitive features) might require active involvement of downstream higher-level sensory or decision-related areas.

In our design, for instance, complex object categories are used, and phase discrimination, which is shown to involve processes beyond the early visual cortex<sup>61</sup>, is required to perform the task reliably. Our findings thus appear to rely heavily on the enhancement of the relevant stimulus representations during post-sensory rather than early sensory processing.

In summary, our study provides insights into the neurobiology of perceptual learning and offers strong support to the notion that neuronal plasticity can occur at multiple time-scales and locations, depending on task demands and context. As such, our findings can help to revise existing theories of perceptual learning focusing only on early sensory processing and to provide a foundation on which future studies can continue to interrogate the neural systems underlying perceptual decision-making.

## Methods

**Participants.** Fourteen subjects (seven female and seven male, age range 23–28 years) participated in this study. All were right-handed, had normal or corrected-to-normal vision and reported no history of neurological problems. The study was approved by the College of Science and Engineering Ethics Committee at the University of Glasgow (CSE01353), and informed consent was obtained from all participants.

**Stimuli.** We used a set of 18 face and 18 car images (image size 512×512 pixels, 8-bits per pixel), adapted from our previous experiments<sup>19,20</sup>. Face images were selected from the Face Database of the Max Planck Institute of Biological Cybernetics<sup>62</sup>, and car images were sources from the Internet. Both image types contained equal numbers of frontal and side views (up to ±45 degrees). All images were equated for spatial frequency, luminance and contrast, and they all had identical magnitude spectra (average magnitude spectrum of all images in the database). We manipulated the phase spectra of the images using the weighted mean phase<sup>63</sup> technique to change the amount of sensory evidence in the stimuli as characterized by their percentage phase coherence. We selected two levels of sensory evidence for this study (32.5% and 37.5% phase coherence) that are known to yield performance spanning the psychophysical threshold, based on our previous studies<sup>19,20</sup>. A Dell Precision Workstation (Intel Core 2 Quad) running Windows 7 (64 bit) with an ATI FirePro 2270 graphics card and PsychoPy 1.8 presentation software<sup>64</sup> controlled the stimulus display. Images were presented on a Dell 2001FP TFT monitor (resolution, 1,600×1,200 pixels; refresh rate, 60 Hz). Subjects were positioned 75 cm from the monitor, and each image subtended approximately 6×6 degrees of visual angle.

**Behavioural task.** Subjects performed a simple image categorization task whereby they had to classify an image either as a face or car. The stimulus was presented for 50 ms, and subjects were asked to make a response as soon as they had formed a decision, with a response deadline set at 1.25 s. Subjects indicated their decision with a button press on a response device (Cedrus RB-740) using their right index and middle fingers for a face and a car response, respectively. Subjects received visual feedback following each response that lasted for 500 ms. A tick and a cross were presented for a correct and an incorrect response, respectively (subtending 0.7×0.7 degrees of visual angle). A cross was also shown when subjects failed to make a response within the pre-allocated duration of 1.25 s following the stimulus. Feedback was followed by an inter-trial interval that varied randomly in the range between 1 and 1.5 s. There were a total of 288 trials (divided equally between the two image categories and the two levels of sensory evidence), presented in four blocks of 72 trials with a 60-s rest period between blocks. The entire experiment lasted approximately 20 minutes. Each subject performed this task on three consecutive days, with the experiment taking place at the same time on each day. On the first day, subjects performed a short practice session of the face/car categorization task with stimuli of high percentage phase coherence (50%) to familiarize themselves with the structure and pace of the task.

**EEG data acquisition.** EEG data were collected inside an electrostatically shielded booth using a 64-channel EEG amplifier system (BrainAmps MR-Plus, Brain Products, Germany) and recorded using Brain Vision Recorder (BVR; Version 1.10, Brain Products, Germany) with a 1,000-Hz sampling rate and an analogue bandpass filter of 0.016–250 Hz. The EEG cap consisted of 64 Ag/AgCl actiCAP electrodes (Brain Products, Germany) positioned according to the international 10–20 system of electrode positioning. The ground electrode was embedded in the EEG cap and placed along the midline between electrodes Pz and Oz. The reference electrode was placed on the left mastoid. All input impedances were kept below 10 kΩ. For each participant, an effort was made to position the EEG cap in a consistent manner across the three training days, by keeping the distance between electrodes and certain anatomical landmarks (outer canthi,inion, nasion) constant. Experimental event codes and button responses were also synchronized with the EEG data and collected using the BVR software.

**EEG pre-processing.** We performed basic pre-processing of the EEG signals offline using MATLAB (MathWorks, Natick, Massachusetts). Specifically, we applied a 0.5-Hz high-pass filter to remove d.c. drifts, and 100-Hz low-pass filter to remove high-frequency artefacts not associated with neurophysiological processes. These filters were applied together, non-causally to avoid distortions caused by phase delays (using MATLAB 'filtfilt'). The EEG data were additionally re-referenced to the average of all channels.

**Eye-movement artefact removal.** Prior to the main experiment, we asked our participants to complete an eye movement calibration task during which they were instructed to blink repeatedly upon the appearance of a fixation cross in the centre of the screen and then to make several horizontal and vertical saccades according to the position of the fixation cross. The fixation cross subtended  $0.4 \times 0.4$  degrees of visual angle. Horizontal saccades subtended 15 degrees and vertical saccades subtended 10 degrees. This exercise enabled us to determine linear EEG sensor weightings corresponding to eye blinks and saccades (using principal component analysis) such that these components were projected onto the broadband data from the main task and subtracted out<sup>27</sup>.

**Single-trial discriminant analysis.** To discriminate between face and car trials, we applied a linear multivariate classifier to stimulus-locked EEG data, using the sliding window approach that we used in previous work<sup>20,65</sup>. Specifically, we identified a projection of the multichannel EEG signal,  $\mathbf{x}_i(t)$ , where  $i = [1 \dots T]$  and  $T$  is the total number of trials, within a short time window that maximally discriminated between the two stimulus categories. All time windows had a width of  $N = 50$  ms, and the window centre  $\tau$  was shifted from  $-100$  to  $1,000$  ms relative to stimulus onset, in 10 ms increments. More specifically, we used logistic regression<sup>27</sup> to learn a 64-channel spatial weighting,  $\mathbf{w}(\tau)$ , that achieved maximal discrimination at each time window, arriving at the one-dimensional projection  $y_i(\tau)$ , for each trial  $i$  and a given window  $\tau$ :

$$y_i(\tau) = \frac{1}{N} \sum_{t=\tau-N/2}^{\tau+N/2} \mathbf{w}(\tau)^\top \mathbf{x}_i(t) \tag{1}$$

where  $\top$  is used to indicate the transpose operator. Note that our classifier is designed to return activity from processes that help to maximize the difference across the two conditions of interest while minimizing the effect of processes common to both conditions. In doing so, the classifier tries to map positive and negative discriminant component amplitudes ( $y_i(\tau)$ ) to face and car trials, respectively. In other words, large positive values indicate a higher likelihood of a face stimulus, large negative values indicate a higher likelihood of a car stimulus, and values near zero reflect more difficult stimuli (see Fig. 2a for an example). This procedure, in effect, scales the resulting discriminating component amplitudes in a manner that is directly comparable across the three training days. The same discrimination procedure was also applied on feedback-locked data to discriminate between trials with low and high prediction error magnitudes (as estimated by our model; see below).

We quantified the performance of the discriminator at each time window using the area under a receiver operating characteristic (ROC) curve, referred to as an  $A_z$  value, using a leave-one-out trial procedure<sup>66</sup>. Furthermore, we used a bootstrapping technique to assess the significance of the discriminator by performing the leave-one-out test after randomizing the trial labels. We repeated this randomization procedure 1,000 times to produce a probability distribution for  $A_z$ , and estimated the  $A_z$  value leading to a significance level of  $P < 0.01$ .

Given the linearity of our model we also computed scalp topographies of the discriminating components resulting from equation (1) by estimating a forward model as:

$$a(\tau) = \frac{\mathbf{x}(\tau)\mathbf{y}(\tau)}{\mathbf{y}(\tau)^\top \mathbf{y}(\tau)} \tag{2}$$

where  $y_i(\tau)$  is now organized as a vector  $\mathbf{y}(\tau)$ , where each row is from trial  $i$ , and  $\mathbf{x}_i(t)$  is organized as a matrix,  $\mathbf{x}(\tau)$ , where rows are channels and columns are trials, all for time window  $\tau$ . These forward models can be viewed as scalp plots and interpreted as the coupling between the discriminating components and the observed EEG<sup>27</sup>.

**Single-trial regression analyses.** To analyse the behavioural and neural data resulting from our EEG discrimination analysis, we use a mixed-effects general linear modelling (GLM) approach. These GLM models are similar to repeated-measures ANOVA models, but they offer a better account for inter-subject response variability (by incorporating subjects as a random effect) and allow the mixing of both continuous and categorical variables<sup>67,68</sup>. Details of the dependent and predictor variables used for each regression analysis are given in the main text. The significance of a predictor variable or set of variables is tested using a log-likelihood ratio test, whereby the log-likelihood of the model with all predictors is compared with the log-likelihood of the model without the predictors being tested. The difference in the log-likelihood of two models

is distributed according to a  $\chi^2$  distribution whose degrees of freedom equal the difference in the number of parameters in the two models. We fit these mixed-effects models using the lme4 package (<https://cran.r-project.org/web/packages/lme4/index.html>) using R (<http://www.r-project.org>). We note that repeating these analyses using a conventional ANOVA approach yields virtually identical results, further highlighting the robustness of our effects.

To demonstrate that our Late EEG component was a better predictor of behaviour than the Early one, we ran a separate logistic regression analysis. Specifically, for each participant the trial-by-trial discriminant amplitudes ( $y$  values) for the two components (over all training days) were used as separate regressors to predict each participant's face choice probabilities ( $P(f)$ ) on individual trials (that is,  $P(f) = 1$  [0] for face [car] choices) as:

$$P(f) = 1 / \left( 1 + e^{-[\beta_0 + \beta_1 y^{\text{Early}} + \beta_2 y^{\text{Late}}]} \right) \tag{3}$$

Then, to establish a more reliable trial-by-trial association between Late brain activity and choice behaviour, we tested: (1) whether the Late regression coefficients across subjects ( $\beta_2$ ) come from a distribution with mean greater than zero (using a one-sample  $t$ -test) and (2) whether the Late regression coefficients across subjects ( $\beta_2$ ) come from a distribution with mean greater than those of the Early one ( $\beta_1$ ) (using a paired  $t$ -test). For all analyses, we provide exact  $P$  values where possible, but values below  $10^{-3}$  are abbreviated as such (that is,  $P < 0.001$ ).

**Reinforcement learning model.** We used a variant of the Rescorla–Wagner reinforcement learning model to account for perceptual improvements in the course of learning<sup>14,17,26</sup>. In this model perceptual decisions are driven by a decision variable (DV) denoting the subject's hidden representations of sensory contingencies (that is, association between sensory evidence and stimulus category). The strength of such representations is modulated by dynamic updates of category-specific perceptual weights based on feedback information, thereby accounting for potential differences in learning trajectories between the stimulus categories. Indeed, compared with previous work that used a single stimulus-invariant perceptual weight<sup>14,17</sup>, the introduction of category-specific perceptual weights is designed to capture subject-wise choice biases, in that subjects might have a choice bias towards cars or faces and likewise might display an increasing ability to recognize cars or faces throughout the task.

Moreover, our perceptual weights comprise signal and noise weights. While the former is designated to enhance stimulus representation in the course of learning, the latter accounts for the interference exerted by the antagonistic stimulus against the acquisition of the correct sensory contingencies. Thus, in our model, perceptual learning is expected to occur through gradually increasing signal weights as well as gradually decreasing noise weights. Compared with previous reinforcement-learning-like perceptual models<sup>14,17</sup>, this better captures instances whereby improved task performance depends both on greater ability to recognize a given stimulus and on greater ability to rule out the antagonistic stimulus. In other words, on a face trial, subjects might correctly choose face partly because they are able to identify face-like features and partly because they are able to recognize that there are no car-like features.

More specifically, on each trial  $i$ , decision activities specific to each stimulus category ( $A_{\text{stim}}^i$ ,  $\text{stim} \in \{\text{face}, \text{car}\}$ ) were estimated as the stimulus-specific sensory evidence ( $E_{\text{stim}}^i$ ) scaled by the absolute difference between the stimulus-specific signal weight ( $v_{\text{stim}}^i$ ) and the noise weight of the antagonistic stimulus ( $n_{\text{stim}}^i$ ):

$$\begin{aligned} A_{\text{face}}^i &= E_{\text{face}}^i |v_{\text{face}}^i - n_{\text{car}}^i| \\ A_{\text{car}}^i &= E_{\text{car}}^i |v_{\text{car}}^i - n_{\text{face}}^i| \end{aligned} \tag{4}$$

As perceptual learning progresses, the estimates of signal and noise weights grow apart and so does their distance (absolute difference) on the real line. As a result, the readout of sensory evidence is increasingly enhanced, reflecting the improving ability to discriminate between perceptual stimuli in the course of training.

Whereas the magnitude of  $E_{\text{stim}}^i$  was defined according to the percentage of phase coherence in the stimulus (0.325 and 0.375 for low- and high-coherence trials, respectively), its sign was related to stimulus category (positive for faces and negative for cars). This ensured that decision activities were a signed quantity, whose magnitude tracked the time-varying strength of stimulus representation.

Trial-by-trial estimates of the decision variable were computed based on the decision activity of the presented stimulus:

$$DV^i = A_{\text{stim}}^i \tag{5}$$

Note that the decision variable too is a signed quantity, with positive values indicating a higher likelihood of a face choice and negative values indicating a higher likelihood of a car choice, and as such is directly comparable with the sign of our EEG discriminator component amplitudes,  $y$ . Correspondingly, both the model's decision variables and our component amplitudes are orthogonal to potentially confounding quantities such as task (stimulus) difficulty, decision confidence (or uncertainty) and expected value, all of which covary with the

absolute value of DV and  $y$  (that is, both high positive and high negative DV and  $y$  values correspond to easier, more confident choices that therefore have higher expected value).

Subject-wise decision variable trajectories were then mapped to choice propensities (that is, probabilities) using a sigmoid function:

$$P_{\text{face}}^i = \sigma(\beta(DV^i)) \quad (6)$$

where  $\sigma(z) = 1/(1 + e^{-z})$  is the sigmoid function and  $\beta$  the inverse of the temperature representing the degree of stochasticity in the decision function. Next, the expected value (EV) of the outcome on the same trial was computed based on the modulus (absolute value) of the decision variable as:  $EV^i = \sigma(\beta(|DV^i|))$ . In other words, whereas high positive and high negative DV values (subjectively easier choices) increase the expected value of the outcome (and therefore the expected probability of being rewarded), values near zero (subjectively difficult choices) reduce it.

Finally, on each trial, given reward feedback  $r$  (coded as 1 and 0 for reward and no reward, respectively), perceptual weights were updated through a prediction error signal,  $\delta^i = r^i - EV^i$ , which quantified the degree of deviation between the actual and expected outcome, scaled by a learning-rate parameter  $\alpha$  and an associativity component ( $E_{\text{stim}}^i A_{\text{choice}}^i$ ) whose role was to dynamically modulate the updating of perceptual weights depending on the strength of sensory evidence ( $E_{\text{stim}}$ ) and the strength of the chosen stimulus representation ( $A_{\text{choice}}$ ):

$$\begin{aligned} v_{\text{choice}}^{i+1} &= v_{\text{choice}}^i + \alpha \delta^i E_{\text{choice}}^i A_{\text{choice}}^i \\ n_{\text{choice}}^{i+1} &= n_{\text{choice}}^i + \alpha \delta^i E_{\text{choice}}^i A_{\text{choice}}^i \end{aligned} \quad (7)$$

where subscript \textit{choice} indicates the unchosen stimulus. Note that the signal weight of the unchosen stimulus and the noise weight of the chosen stimulus were not updated. The sign of the update was determined by the prediction error so that whereas correct choice trials resulted in an increase of signal weights and a decrease of noise weights, incorrect choice trials had an opposite effect on the updating of perceptual weights. For example, on a face trial, while a correct face choice would result in an increase of  $v_{\text{face}}$  and a reduction of  $n_{\text{car}}$ , an incorrect car choice would yield an increase of  $n_{\text{car}}$  and a reduction of  $v_{\text{face}}$ . The learning/unlearning of correct/incorrect sensory contingencies underpinned by this dynamic updating of perceptual weights was further aided by the strength of the stimulus representation  $A_{\text{choice}}$ . In other words, the stronger the stimulus representation, the greater the impact of the prediction error on perceptual learning (through the updating of perceptual weights) and vice versa.

We fitted two variants of this model, one with a single learning rate and one with two different learning rates for the updates to the signal and noise weights, respectively. The latter model allowed for the possibility that signal and noise weights may be differentially updated, therefore probing subject-specific biases in perceptual information processing. In other words, while some subjects might boost the signal-to-noise ratio for a given stimulus by primarily enhancing signal weights, others might achieve the same result by primarily reducing noise weights. Whereas the total number of free parameters in the first variant of the model was four ( $v^1, n^1, \beta, \alpha$ ), the number of free parameters in the second variant was five ( $v^1, n^1, \beta, \alpha_{\text{face}}, \alpha_{\text{car}}$ ) where  $v^1, n^1$  represent the initial estimates of the perceptual weights (that is, on the first trial) for face and car stimuli. In addition, we also fitted a simple perceptual reinforcement learning model (as described elsewhere<sup>14,17</sup>), whereby the readout of sensory evidence was scaled only by a signal weight and the trial-by-trial updating of this signal weight was driven by a prediction error computed as previously illustrated. The number of free parameters in this model was four ( $v^1, \text{bias}, \beta, \alpha$ ) where 'bias' represents the indecision point in the choice sigmoid function.

**Model fitting procedure and model comparison.** To prevent overfitting, for each subject  $s$  we found the maximum a posteriori estimate of the model free parameters:

$$\theta_s^{\text{MAP}} = \text{argmax}_{\theta} p(C_s|\theta_s)p(\theta_s|\xi) \quad (8)$$

where  $p(C_s|\theta_s)$  is the cross-entropy loss function between empirical and predicted choices  $C_s$  given the model parameters  $\theta_s$ , and  $p(\theta_s|\xi)$  is the prior distribution on the model parameters  $\theta_s$  given the population-level hyperparameters  $\xi$ . Priors were defined as normal distributions  $N(\mu, \sigma)$  where  $\mu$  was sampled from a normal distribution with mean 0 and standard deviation 1, and  $\sigma$  was set to 100. To preserve the parameters' natural bounds,  $\log(\beta)$  and  $\log(\alpha)$  transforms of the parameters were implemented.

We subsequently performed formal Bayesian model comparison between the three models to determine the one that best fitted our behavioural data. This approach treats each model as a random effect at the between-subject level and therefore is more robust to outliers than fixed-effect approaches<sup>69</sup>. Specifically, we first estimated the subject-wise Laplace-approximated log evidence for each model. We subsequently computed the model-wise exceedance probability (that is, how confident we are that a model is more likely than any other model tested)

using SPM8's `spm_BMS` routine<sup>70</sup>. We found that the exceedance probability of the model with two learning rates ( $\varphi = 0.88$ ) was greater than those of the models with a single learning rate ( $\varphi = 0.11$ ) and with a single perceptual weight ( $\varphi = 0.001$ ) (see histogram in Fig. 4a).

To assess the model's goodness of fit we plotted the subject-wise empirical choice accuracy against the model's predicted accuracy for different days and levels of stimulus phase coherence. Additionally, we tested whether the subject-wise mean decision variables and perceptual weights as estimated by our model significantly increased over training as observed with behavioural performance.

**Data availability.** The data that support the findings of this study are available from the corresponding author upon request.

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## Author contributions

J.A.D. and M.G.P. designed the experiments. J.A.D. performed the experiments. J.A.D., F.Q. and M.G.P. analysed the data and wrote the paper.

## Additional information

**Supplementary information** is available for this paper.

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## Competing interests

The authors declare no competing interests.